

The 6th OMEG Institute@RIBF
April 25th, 2012

Photon Probe for Neutrino-Nucleus Interactions

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- Roles of neutrino-nucleus interactions in nucleosynthesis
- Formalism
- Photo-nuclear reaction experiment with monochromatic γ -rays

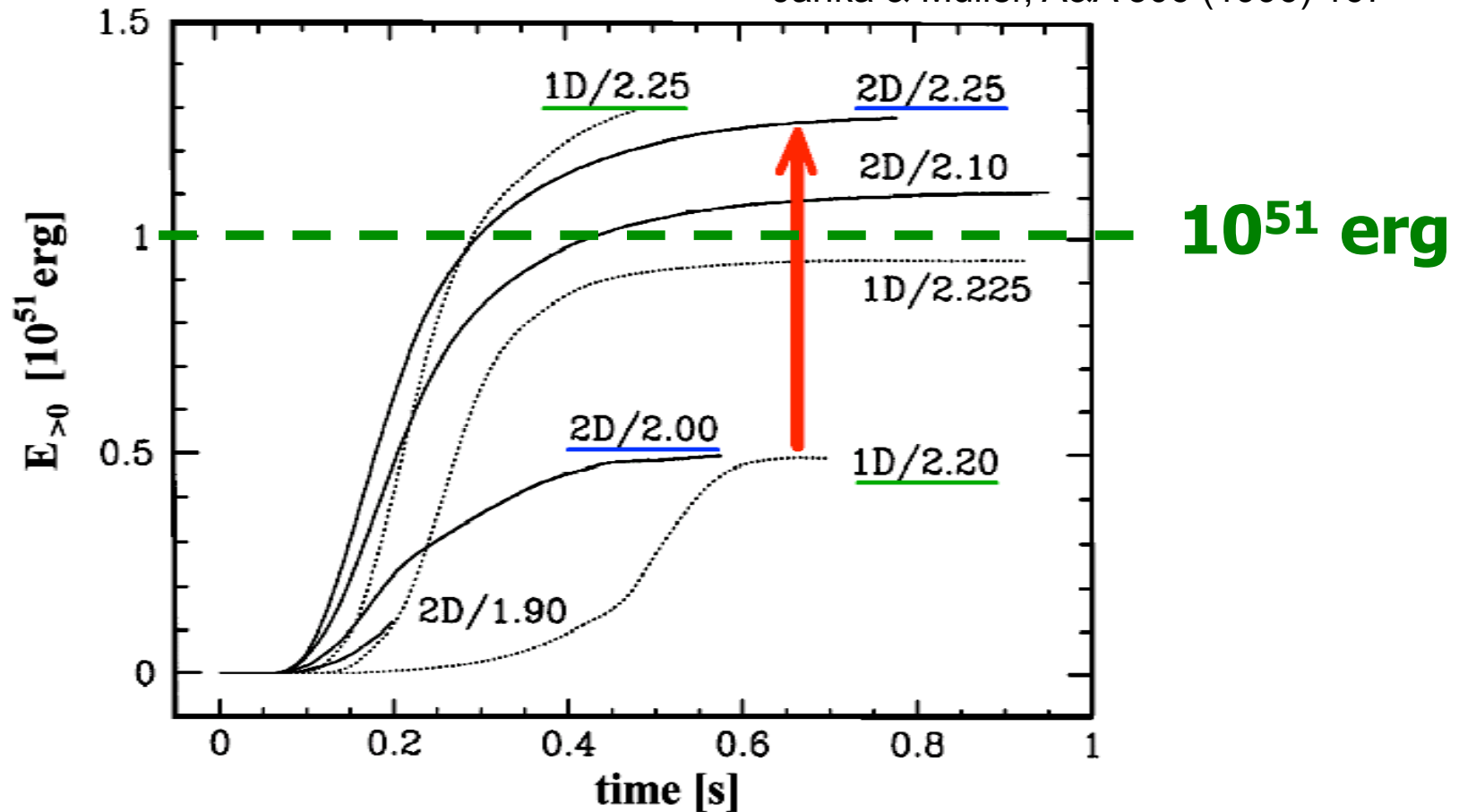


Neutrino-nucleus interactions play important roles in

- matter heating due to neutrino spallation on ^4He , ^3He , ^3H , D
- r-process in neutrino-driven wind;
free neutrons supplied by neutrino spallation on light nuclei?
post processing to original r-abundances?
- p-process; rare but unreachable by neither r- nor s-processes
Double (p,γ) ? Double (γ,n) ? Double (ν,l) ? Double $(\nu,\nu'n)$?
- detection of SN neutrinos ; D, ^{71}Ga , ^{100}Mo , etc.

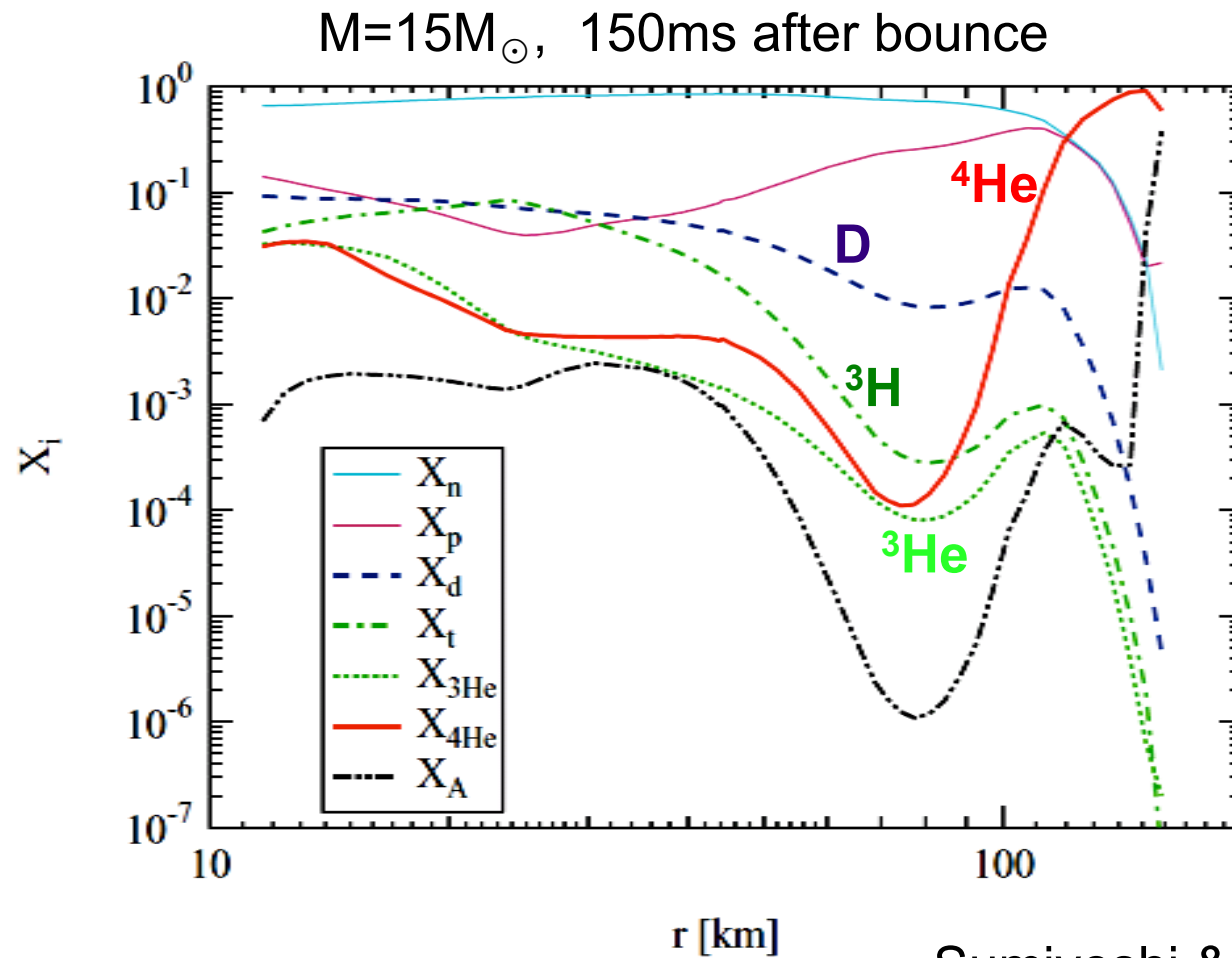
ν -heating; energy transfer via ν -A interaction

Janka & Müller, A&A 306 (1996) 167



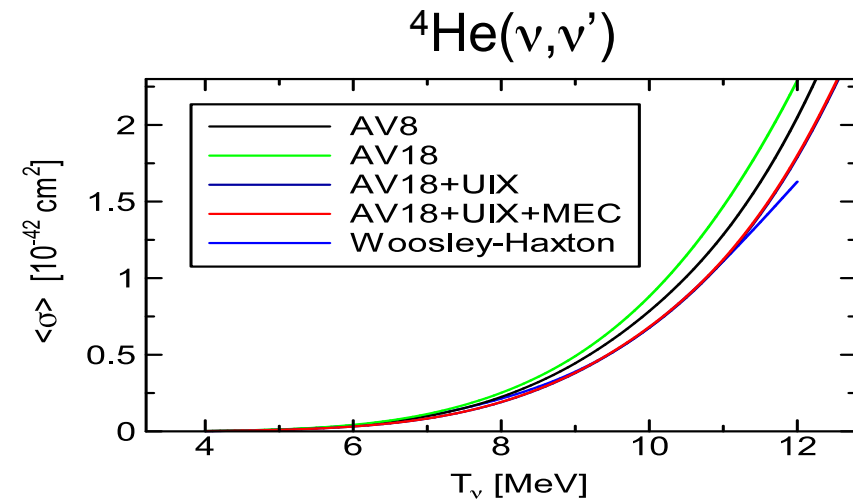
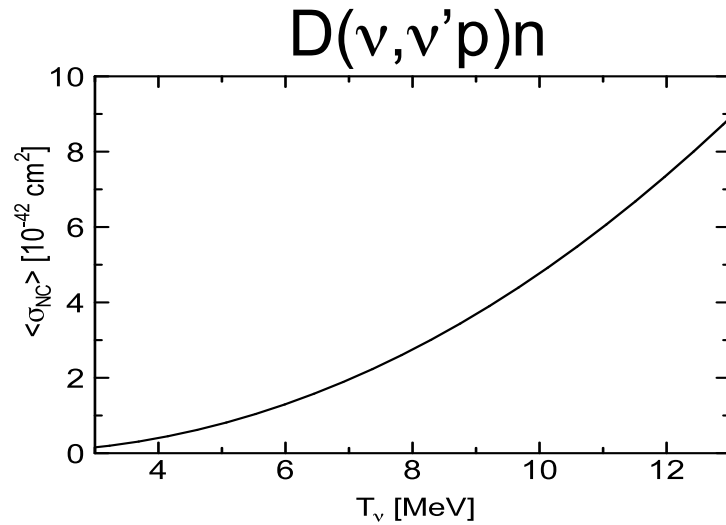
Explosion energy is satisfied with $\sim 10\%$ increase of neutrino luminosity, or equivalently ν -A reaction rates.

Isotopic composition of post-bounce supernova core



Sumiyoshi & Röpke (2008)

D, ^4He



The abundance of the deuteron is $\sim \pm 2$ dex of α , and its (ν, ν') cross section is about one order of magnitude larger than that of α due to the low threshold energy.

Analogy between ν -A and γ -A interactions

Weak operators ;

$$T_{10LJ}^W = g_{10LJ}^W \cdot \tau \cdot \left[\mathbf{i}^L r^L Y_L \downarrow \right]$$
$$T_{11LJ}^W = g_{11LJ}^W \cdot \tau \cdot \left[\mathbf{i}^L r^L Y_L \times \boldsymbol{\sigma} \right]$$

$$\tau = \begin{cases} \tau_{\pm} & \text{(charged current)} \\ \tau_3 \sqrt{2} & \text{(neutral current)} \end{cases}$$

EM operators ;

$$T_{10LJ}^{EM} = g_{10LJ}^{EM} \cdot \tau_3 \sqrt{2} \cdot \left[\mathbf{i}^L r^L Y_L \right]$$
$$T_{11LJ}^{EM} = g_{11LJ}^{EM} \cdot \tau_3 \sqrt{2} \cdot \left[\mathbf{i}^L r^L Y_L \times \boldsymbol{\sigma} \right]$$

--- Photon is a useful probe for weak nuclear responses.

Hamiltonian

$$H_W = \begin{cases} \frac{G_F \cos \theta_C}{\sqrt{2}} \int dx [J_\lambda^{CC}(x) L^\lambda(x) + H.c.] & \text{(Charged Current)} \\ \frac{G_F}{\sqrt{2}} \int dx [J_\lambda^{NC}(x) L^\lambda(x) + H.c.] & \text{(Neutral Current)} \end{cases}$$

$$J_\lambda^{CC}(x) = V_\lambda^\pm(x) + A_\lambda^\pm(x)$$

$$J_\lambda^{NC}(x) = (1 - 2 \sin^2 \theta_W) V_\lambda^3(x) + A_\lambda^3(x) - 2 \sin^2 \theta_W V_\lambda^S$$

Hadronic currents (Impulse Approximation)

- for C.C.

$$\langle N(p') | V_\lambda^\pm(0) | N(p) \rangle = \bar{u}(p') \left[f_V \gamma_\lambda + i \frac{f_M}{2M_N} \sigma_{\lambda\rho} q^\rho \right] \tau^\pm u(p)$$

$$\langle N(p') | A_\lambda^\pm(0) | N(p) \rangle = \bar{u}(p') \left[f_A \gamma_\lambda \gamma^5 + f_P \gamma_5 q_\lambda \right] \tau^\pm u(p)$$

- for N.C. replace τ^\pm with $\tau^3/2$

- for isoscaler current

$$\langle N(p') | V_\lambda^S(0) | N(p) \rangle = \bar{u}(p') \left[f_V \gamma_\lambda + i \frac{f_M^S}{2M_N} \sigma_{\lambda\rho} q^\rho \right] \frac{1}{2} u(p)$$

Induced interactions on meson cloud

Hadronic currents (Exchange currents)

(1) Axial vector currents

- for C.C.

$$\begin{aligned} \overline{A}_{\Delta}^{\pm}(x) = & 4\pi f_A \delta(x - r_i) \int \frac{dq' e^{-iq' \cdot r}}{(2\pi)^3} \left[\frac{K_{\pi}^2(q'^2)}{\omega_{\pi}^2} \left\{ q' \tau_2^{\pm} + d_1 (\sigma_1 \times q') [\tau_1 \times \tau_2]^{\pm} \right\} \sigma_2 \cdot q' \right) \\ & + \frac{K_{\rho}^2(q'^2)}{\omega_{\rho}^2} \left\{ q' \times (\sigma_2 \times q') \tau_2^{\pm} + d_{\rho} \sigma_1 \times [q' \times (\sigma_2 \times q')] [\tau_1 \times \tau_2]^{\pm} \right\} \right] + (1 \leftrightarrow 2) \end{aligned}$$

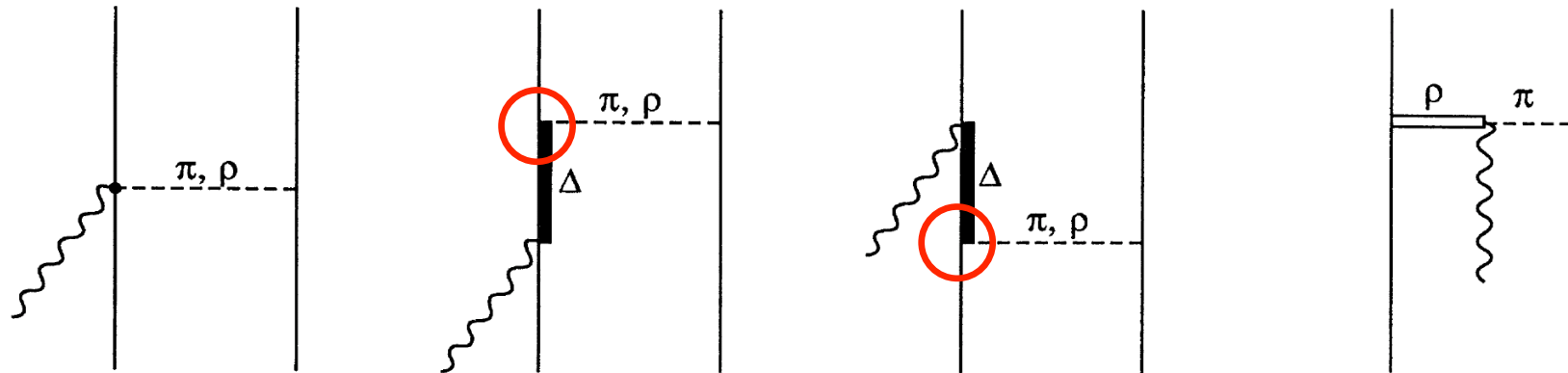
- for N.C. replace τ_i^{\pm} and $[\tau_1 \times \tau_2]^{\pm}$ with $\tau_i^3/2$ and $[\tau_1 \times \tau_2]^3/2$

(2) Vector currents

$$V_{\Delta}^{\pm,3}(x) = -\frac{f_V + f_M}{2M_N f_A} \cdot \nabla \times \overline{A}_{\Delta}^{\pm,3} \quad !$$

Axial exchange-current mechanisms

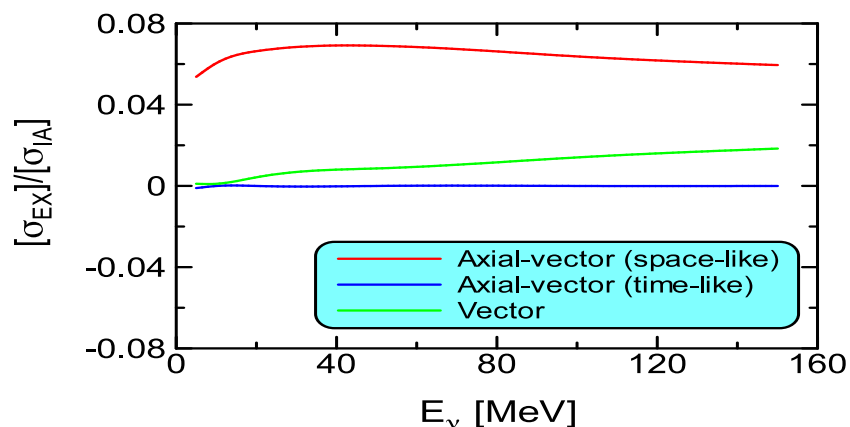
In addition to one-body currents, meson-exchange currents (MEX) give contributions of up to $\sim 10\%$ to the total cross section.



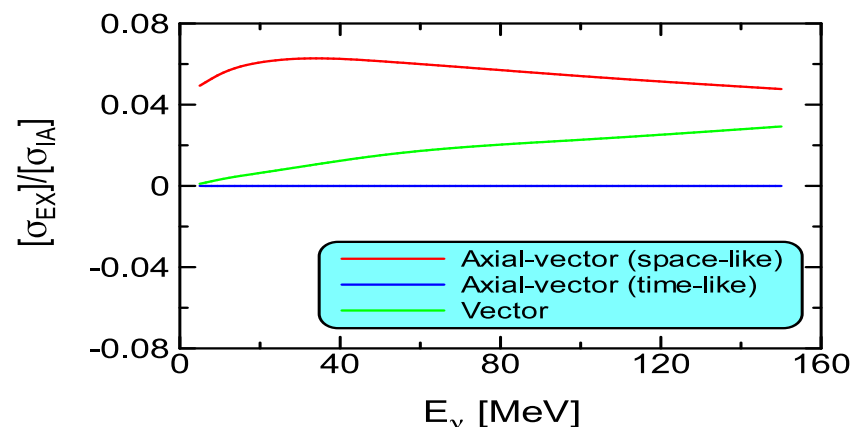
Among all processes of MEX, largest correction to one-body is from the diagrams including $\pi N \Delta$ coupling, which can be calibrated by referring to $D(\gamma, n)p$ data.

Contribution of meson-exchange currents

$d(\nu, \nu')pn$



$d(\nu, e^-)pp$

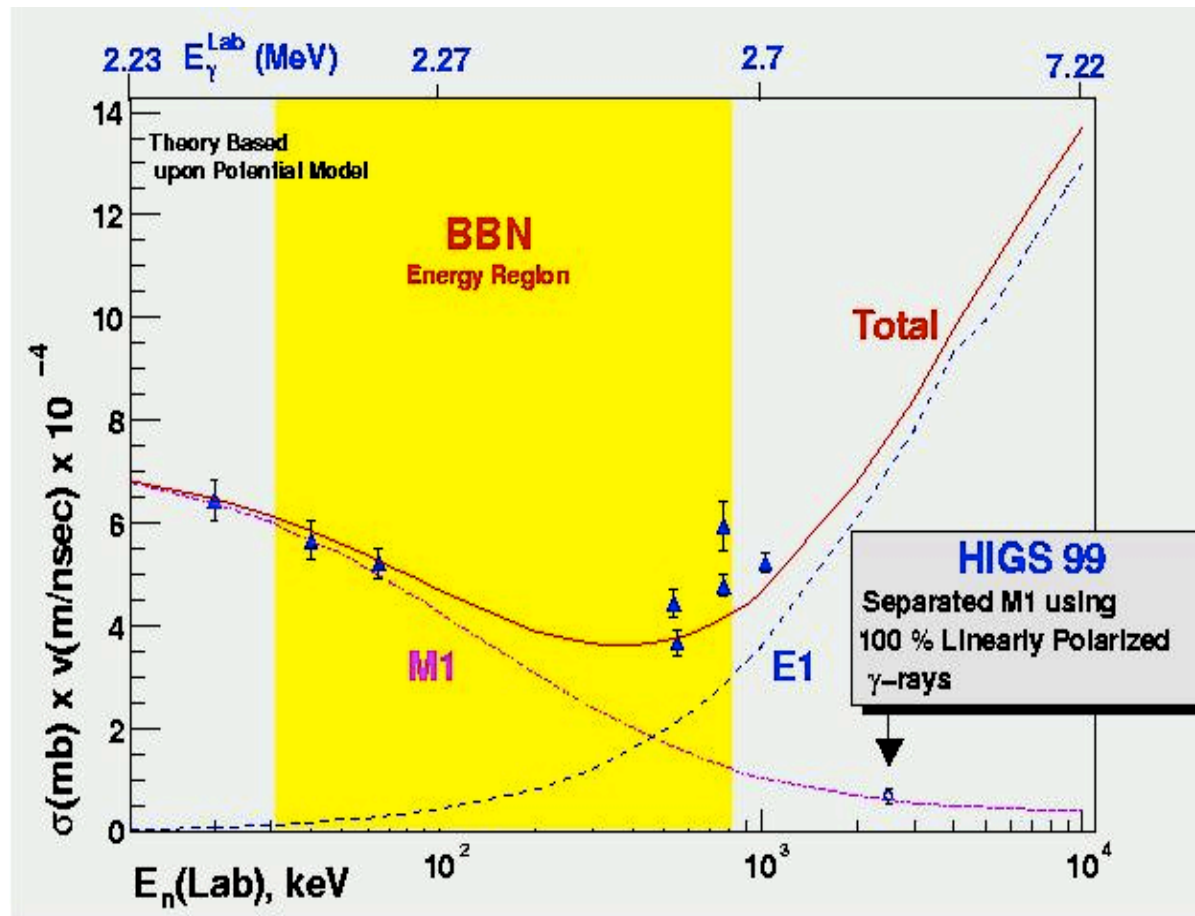


S.Nakamura, T.Sato, V.Gudkov, K.Kubodera, PRC63, 034617 (2001)

Theoretical models can be tested via comparison with experimental data of analogous **$D(\gamma, n)p$** .

M1/E1 ratio in $D(\gamma,p)n$

Calculation	%M1 Contribution	Asy(150°)
Chen	7.85%	0.81
Arenhövel	7.31%	0.81
Experiment	$9.26 \pm 2.6\%$	0.786 ± 0.052





Calculation needs information on

- **weak form factors** (f_V, f_A, f_M, f_P)

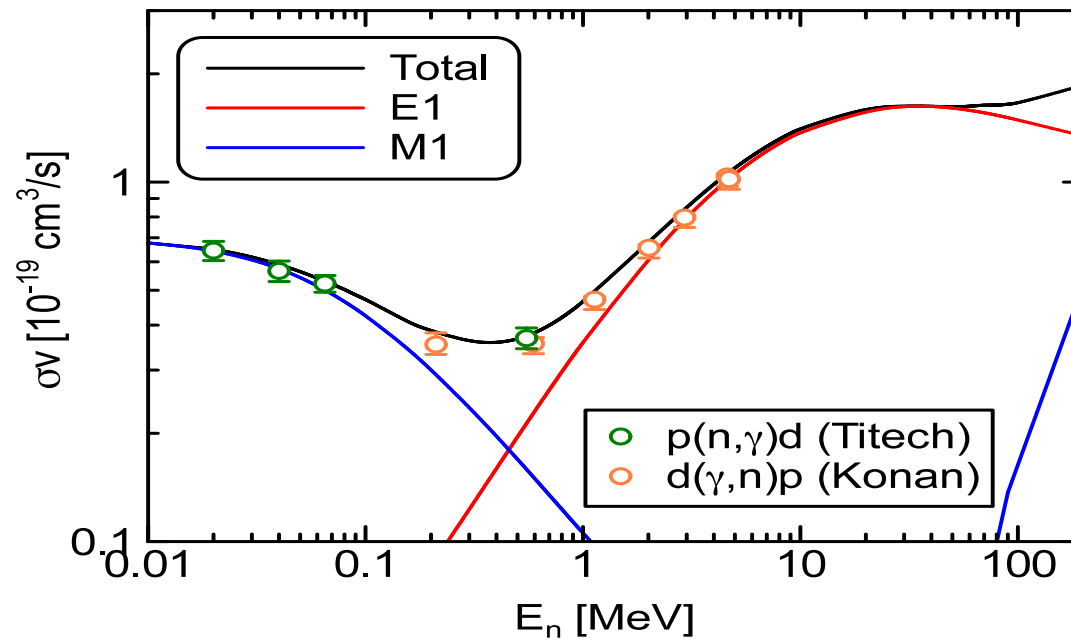
← nuclear β -decay, μ -capture

- **wave functions**

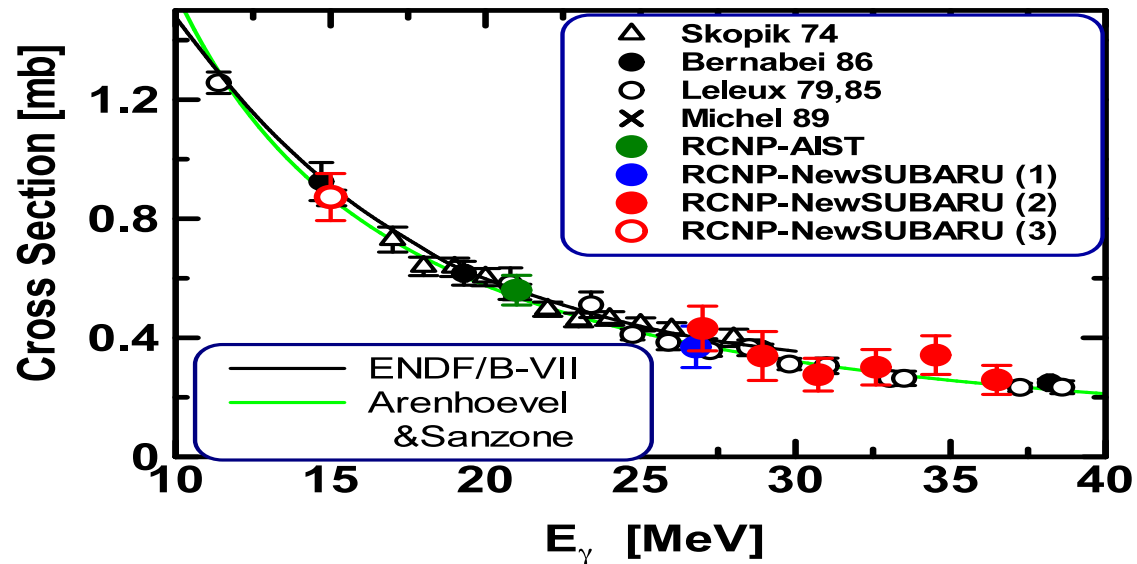
{ nuclear potential
model (shell model, cluster, RPA, TDHF,...)
approximations (one-meson exchange,
long-wave approx., Siegert theorem, ...)

← EM probes --- **Photonuclear reactions**

$p(n,\gamma)d$; Theory v.s. Experiment



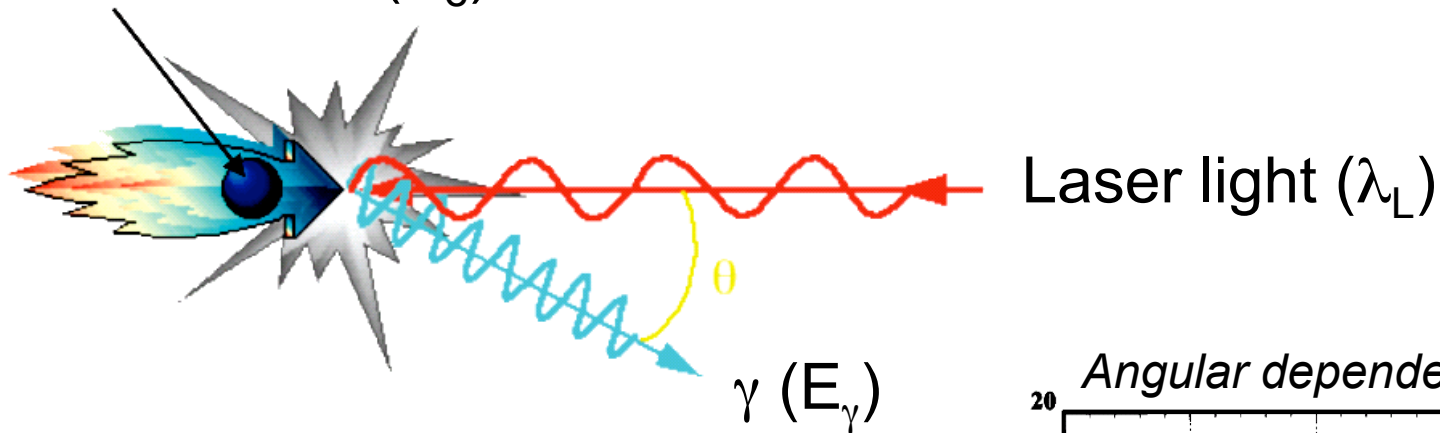
$D(\gamma, p)n$ data



--- Good agreement with existing data
as well as theoretical calculations and fittings !

Laser Compton backscattering

Relativistic electron (E_e)

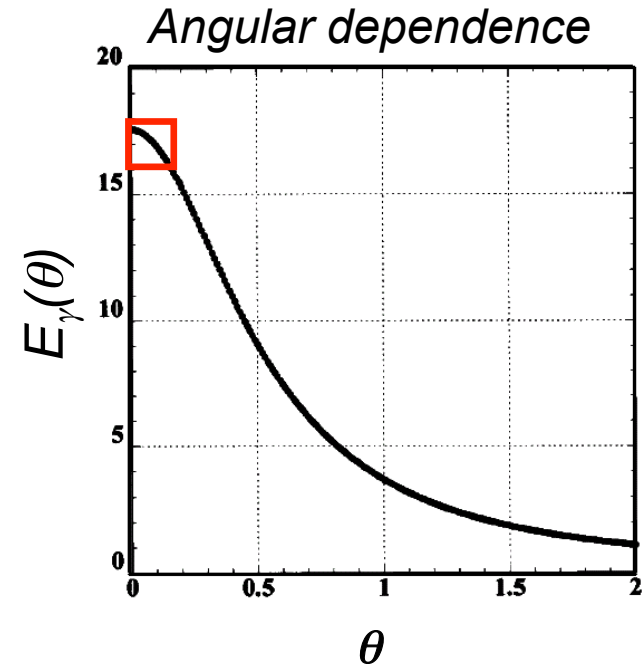


Klein-Nishina formula

$$E_\gamma = \frac{4hc}{\lambda_L} \cdot \frac{\gamma^2}{1 + \gamma^2 \theta^2}, \quad \gamma = \frac{E_e}{m_e c^2}$$

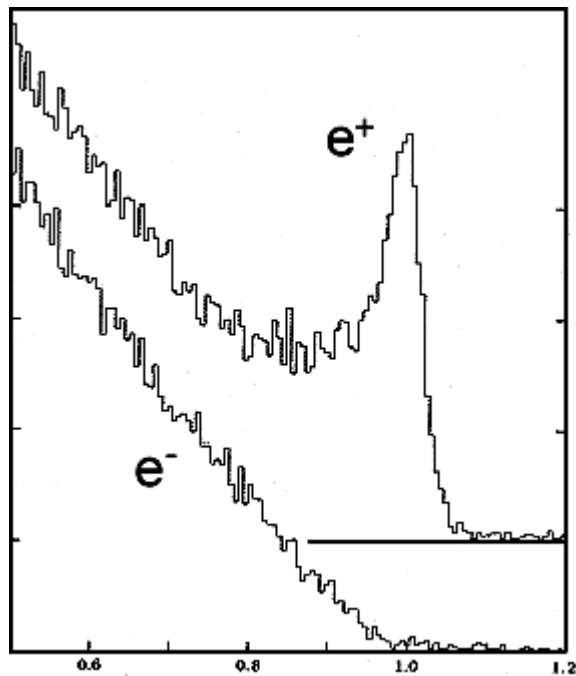
ex. $\lambda_L = 1.064 \mu\text{m}$, $E_e = 800 \text{MeV}$

$\Rightarrow E_\gamma = 11 \text{MeV}$



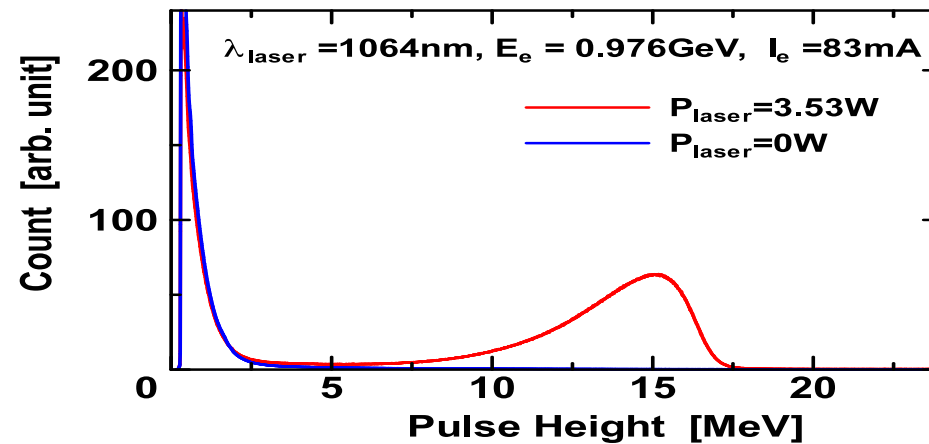
Energy distributions of γ -rays

Bremsstrahlung,
 e^+e^- annihilation in flight



BG from low-energy
component of brems.

Laser Compton-Scattered γ
(PH spectra of GSO scintillator)



(almost) no BG !!

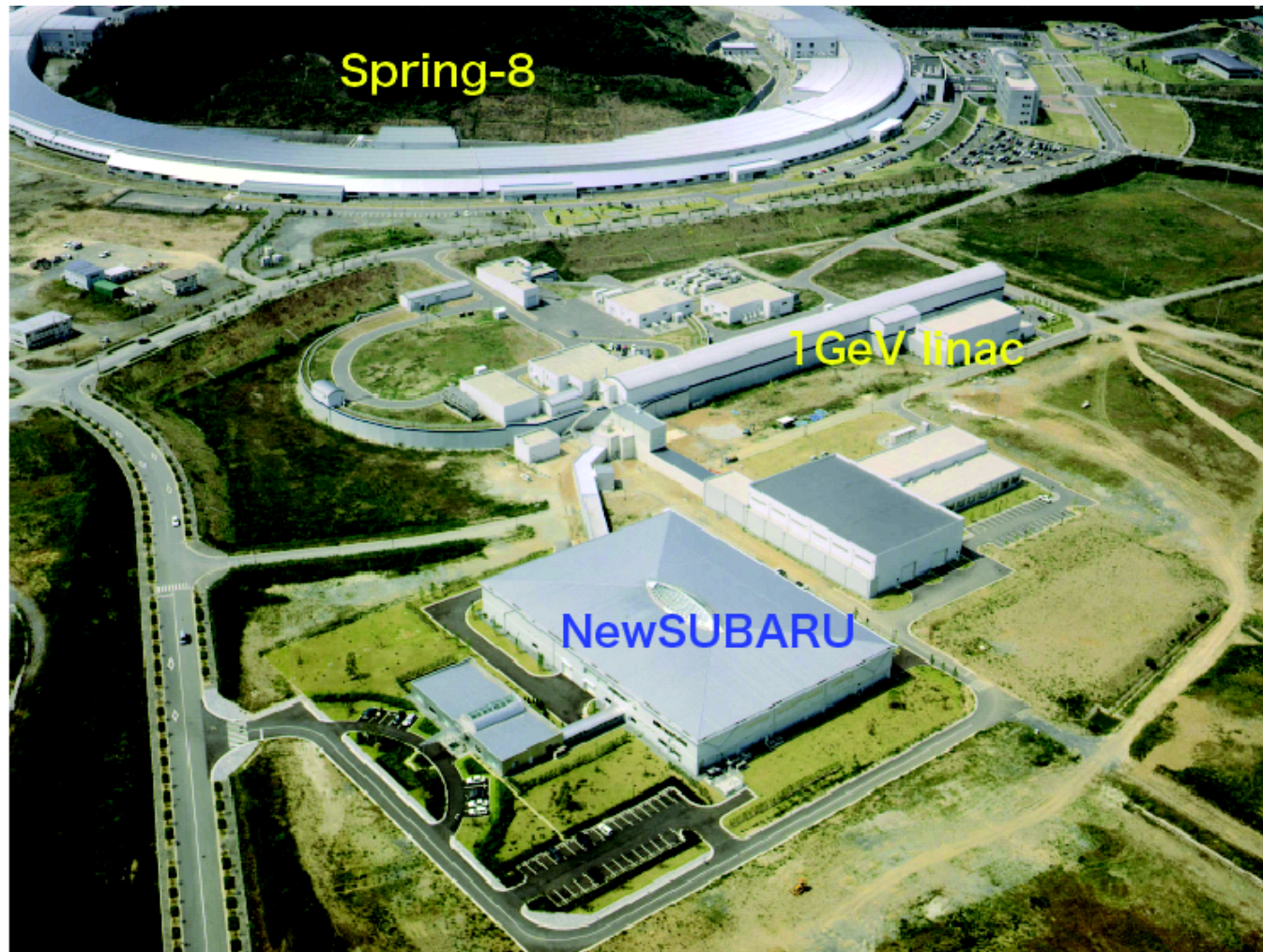


Advantages of LCS- γ

- Quasi-monochromatic; $\Delta E/E \sim$ a few %
- Little background γ -rays; tagging not necessary
- Well-collimated; $\Delta\theta < 0.1$ mrad
- Highly polarized; linear or circular, $P \sim 100\%$
 - useful to separate E1 and M1
- Continuous or pulsed; $\Delta t < 10$ ns
- Considerable intensity; $\Phi_\gamma = 10^4 \sim 10^8$ γ /s/MeV

NewSUBARU

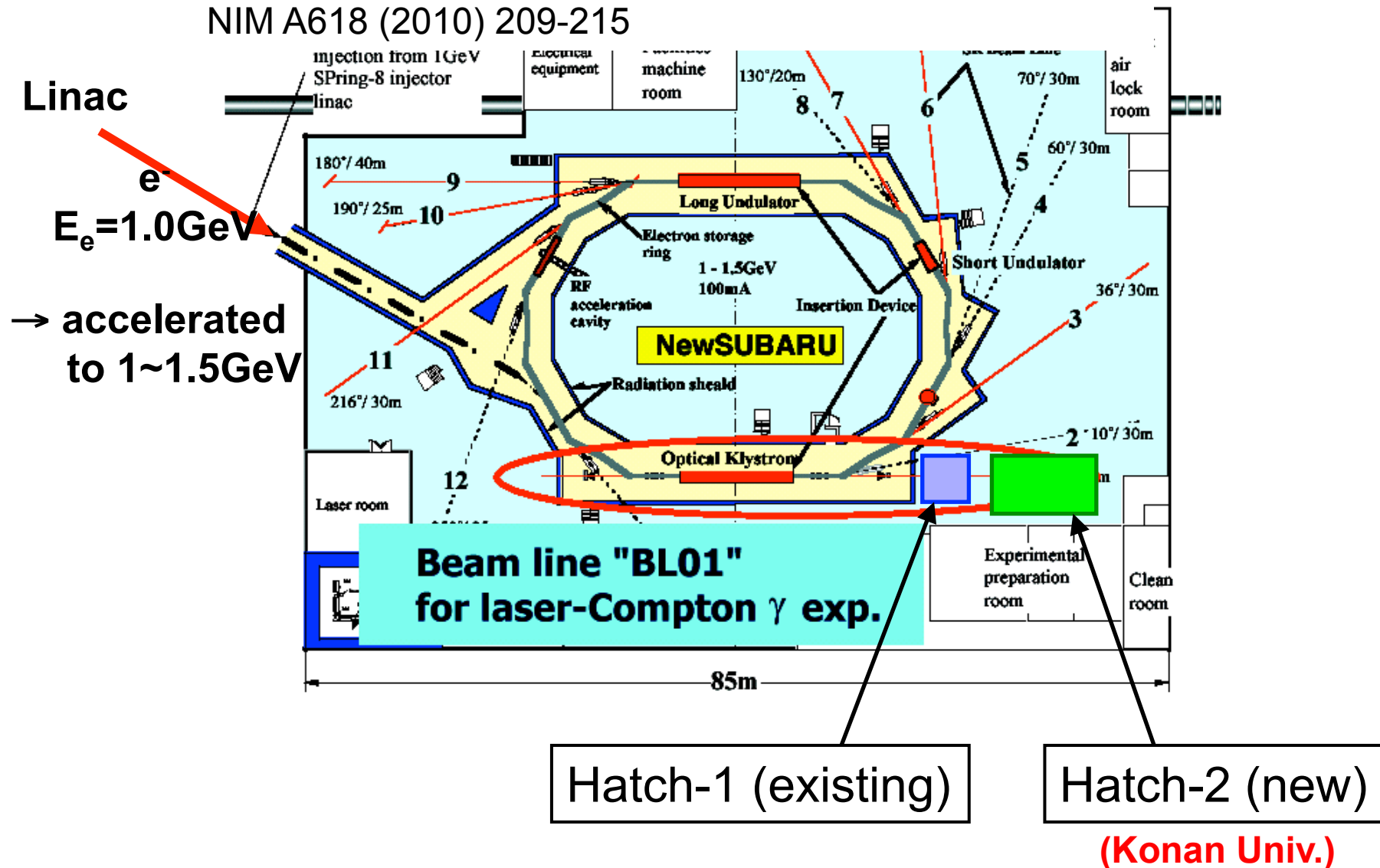
Lab. of Adv. Sci. and Tech. for Industry,
University of Hyogo, Japan



NewSUBARU/LCS- γ source



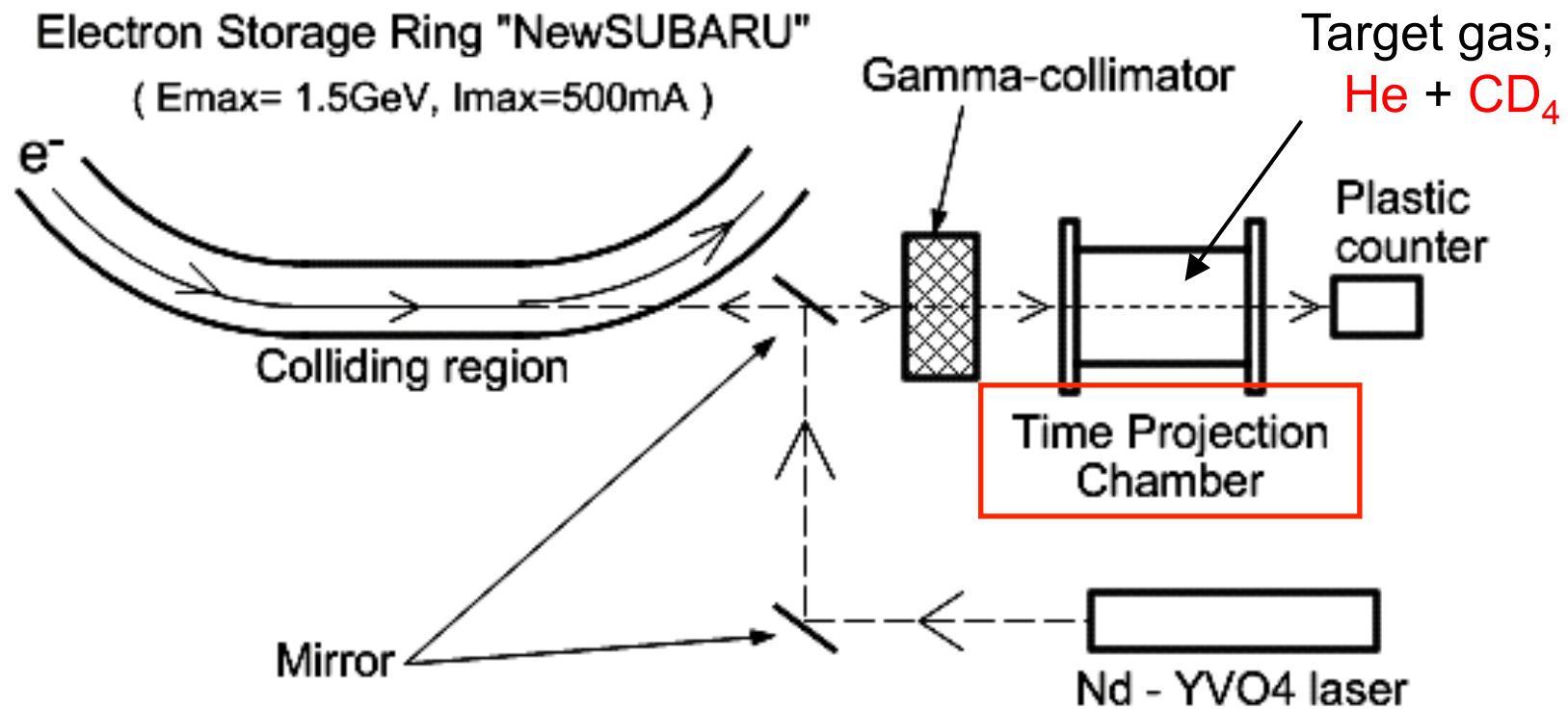
K. Horikawa, S. Miyamoto, S. Amano, T. Mochizuki,
NIM A618 (2010) 209-215



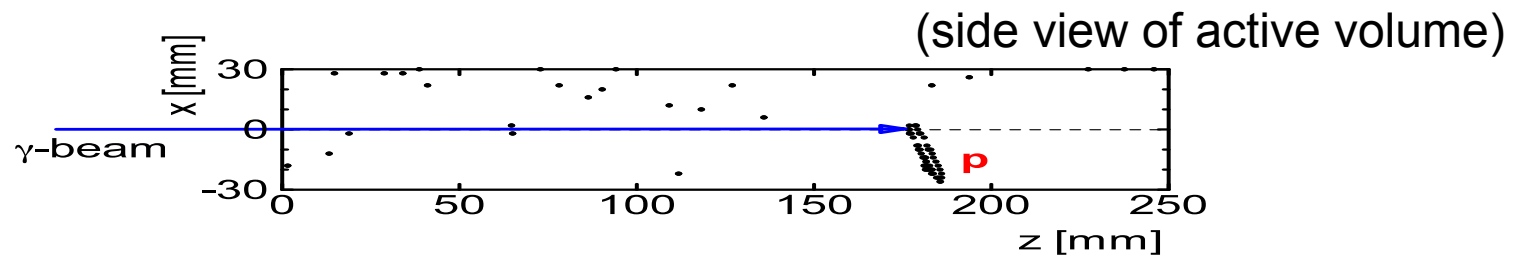
Experiment with quasi-monochromatic γ at NewSUBARU

Laser Compton-scattered γ -ray :

$E_\gamma = 1.6 \sim 40\text{MeV}$, $\Phi_\gamma \sim 4 \times 10^4$ /sec, FWHM=4~5%, P~100%



Candidate of $D(\gamma, n)p$ event

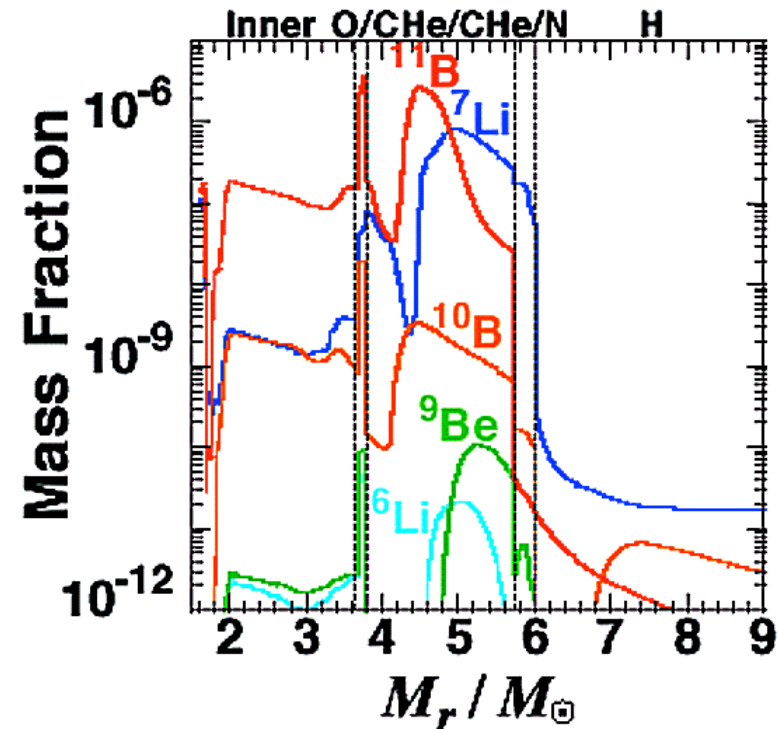
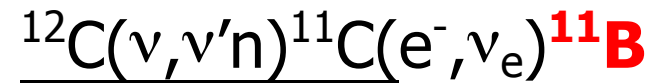
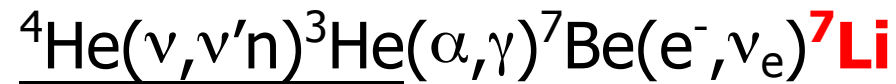
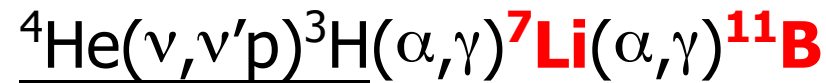


Event ID:

- Single track
- Vertex on beam axis
- Pulse height corresponding to proton dE/dx

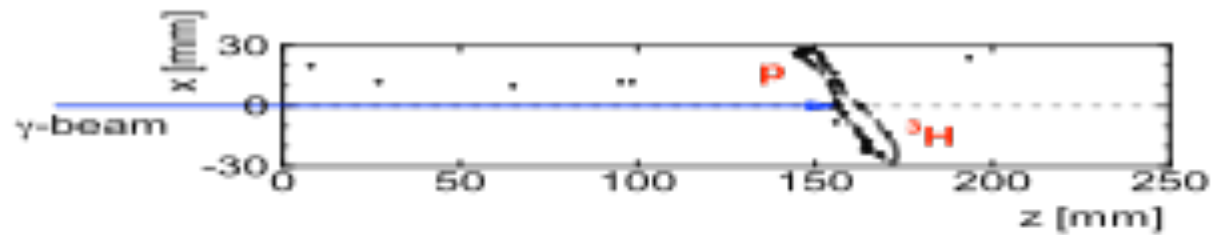
${}^7\text{Li}$, ${}^{11}\text{B}$ production by ν -spallations

Woosley et al., Woosley & Weaver, Rauscher et al., Yoshida et al.

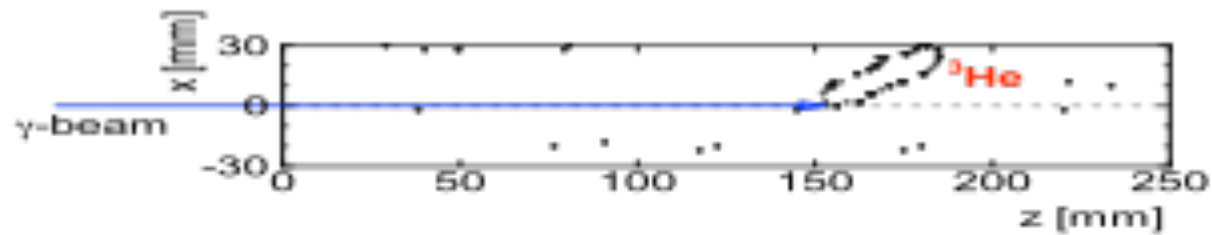


Yoshida, Kajino et al.,
PRL96, 091101 (2006)

${}^4\text{He}(\gamma, p){}^3\text{H}$, ${}^4\text{He}(\gamma, n){}^3\text{He}$



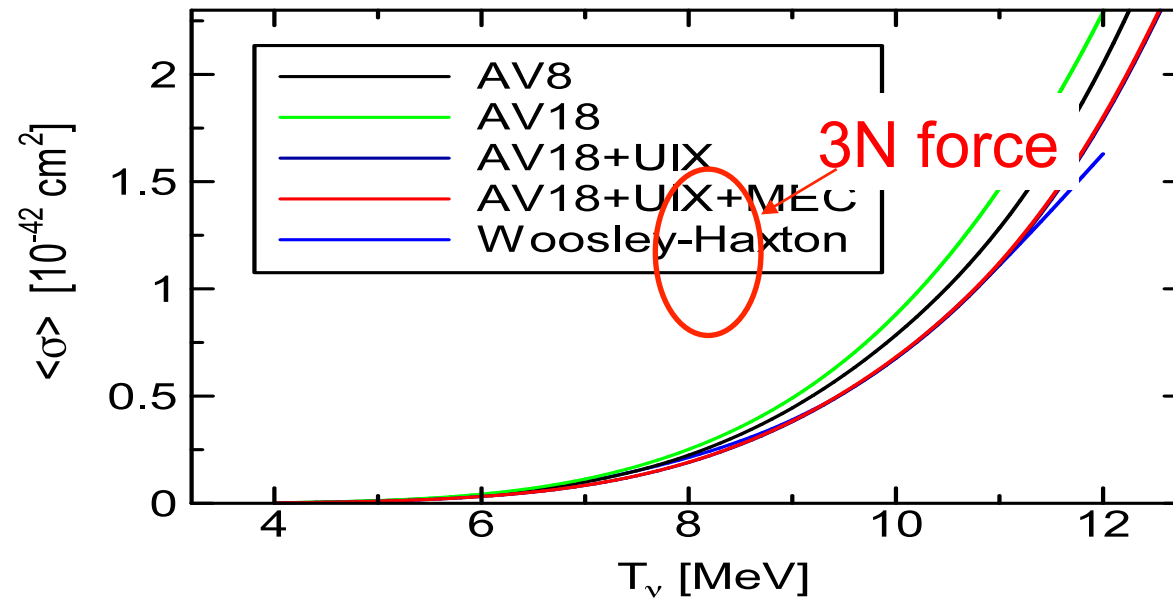
${}^4\text{He}(\gamma, p){}^3\text{H}$



${}^4\text{He}(\gamma, n){}^3\text{He}$

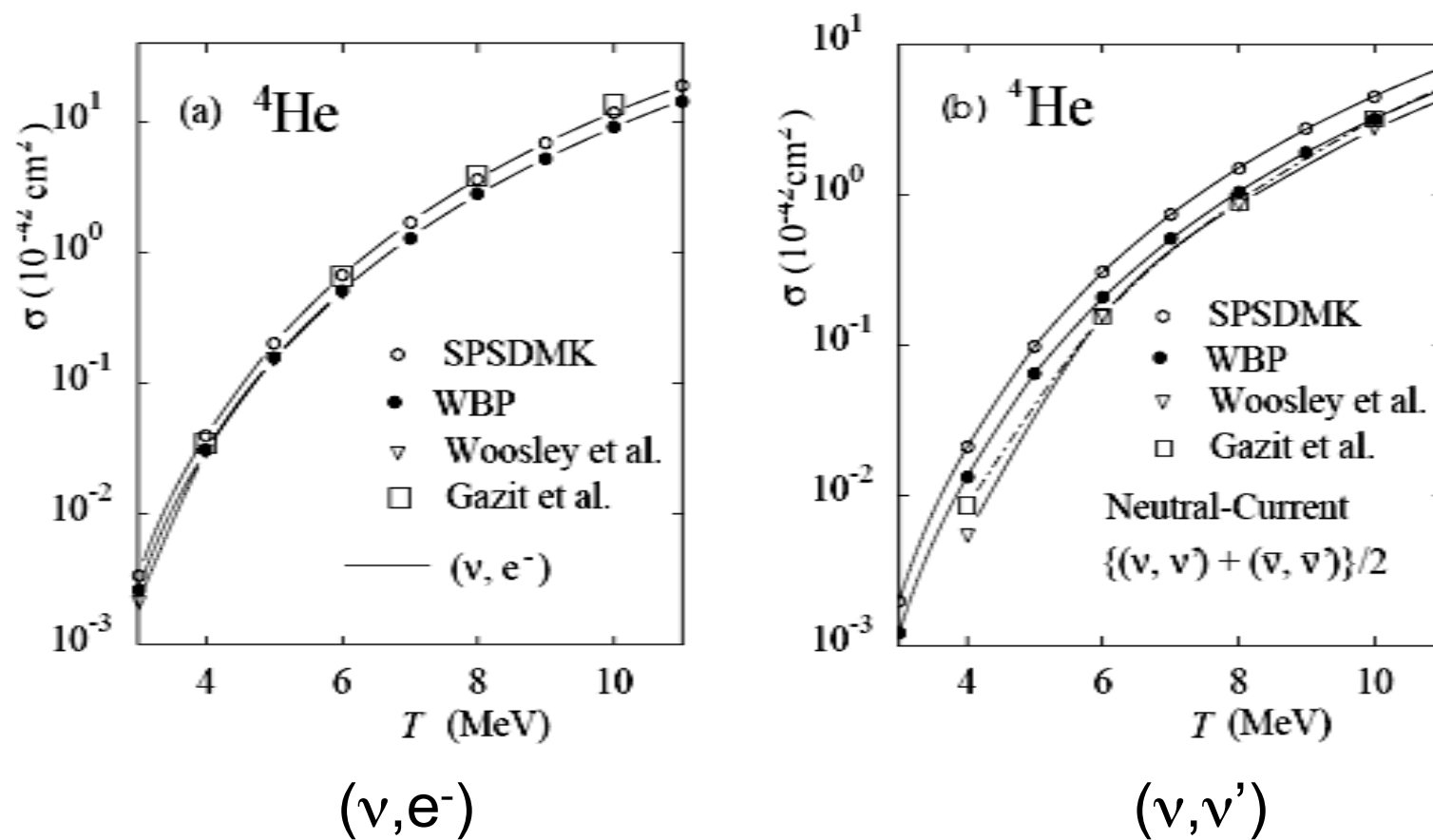
$\nu+{}^4\text{He}$; "ab initio" calculation

Gazit & Barnea (2007), Lorentz-Integral Transform method

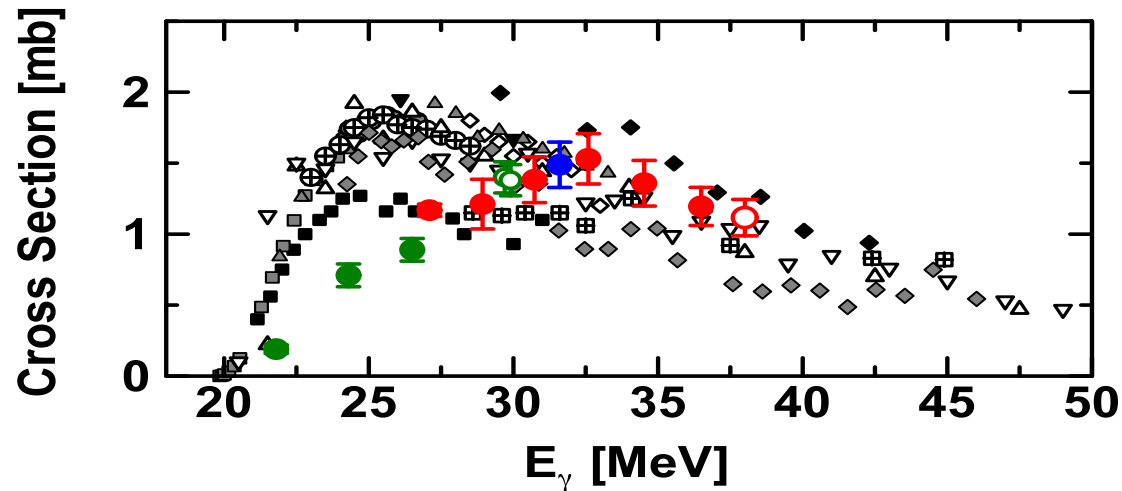


$\nu + {}^4\text{He}$; shell-model calculation

T. Suzuki et al., PR C74 034307 (2006)

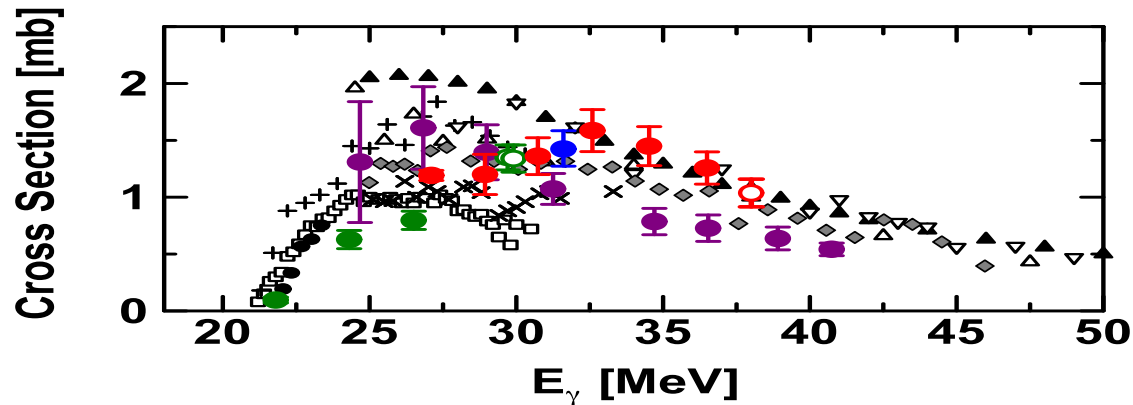


${}^4\text{He}(\gamma, p){}^3\text{H}$



- RCNP-AIST2005 (PRC72, 044004) ; $\lambda=351\text{nm}$ (3rd), $E_e=0.8\text{GeV}$
- RCNP-NewSUBARU; $\lambda=532\text{nm}$ (2nd), $E_e=0.97\text{GeV}$
- RCNP-NewSUBARU; $\lambda=1064\text{nm}$ (fund.), $E_e\leq 1.46\text{GeV}$
- RCNP-NewSUBARU; $\lambda=532\text{nm}$ (2nd), $E_e=1.06\text{GeV}$

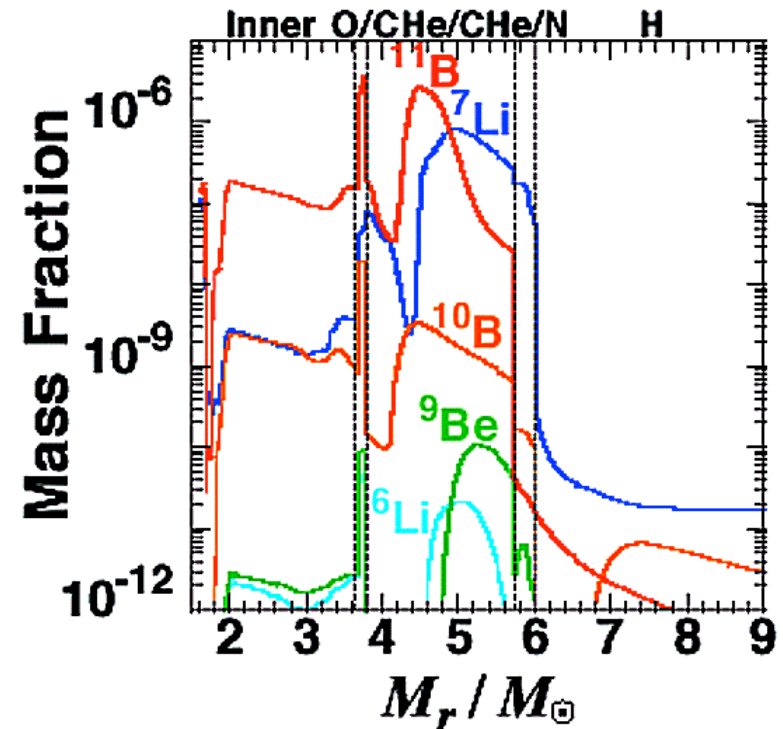
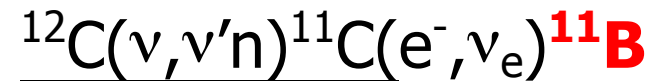
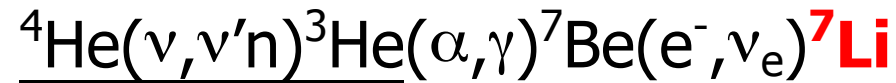
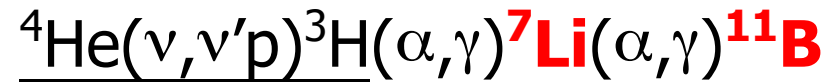
${}^4\text{He}(\gamma, n){}^3\text{He}$



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- RCNP-NewSUBARU; $\lambda=532\text{nm}$ (2nd), $E_e=1.06\text{GeV}$
- Lund 2005-2007 (PRC75, 014007) ; tagged photons

${}^7\text{Li}$, ${}^{11}\text{B}$ production by ν -spallations

Woosley et al., Woosley & Weaver, Rauscher et al., Yoshida et al.

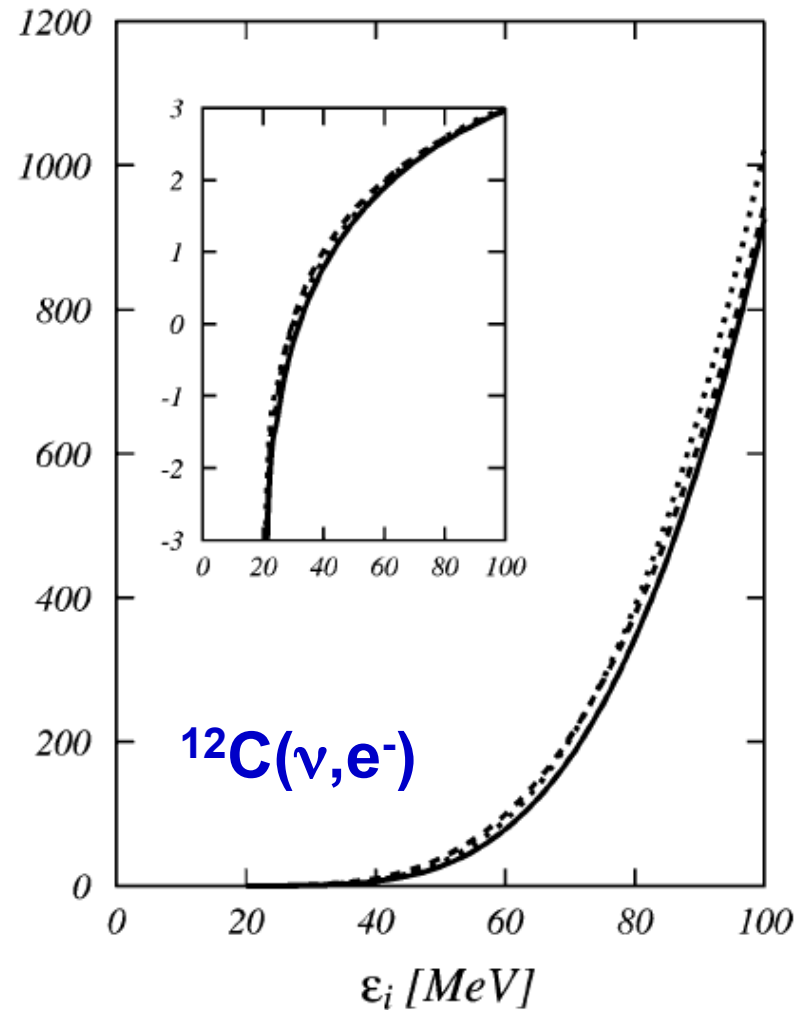
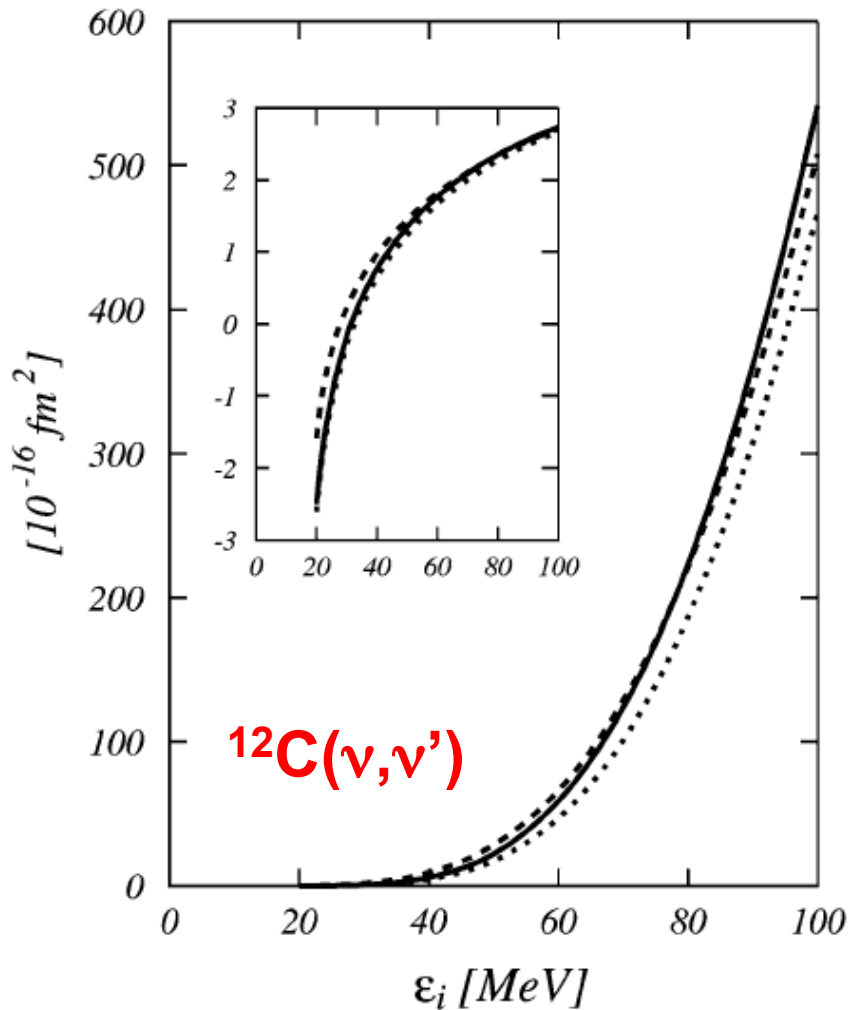


Yoshida, Kajino et al.,
PRL96, 091101 (2006)

Continuum RPA

A. Botrugno and G. Co',
Nucl. Phys. A761 (2005) 200

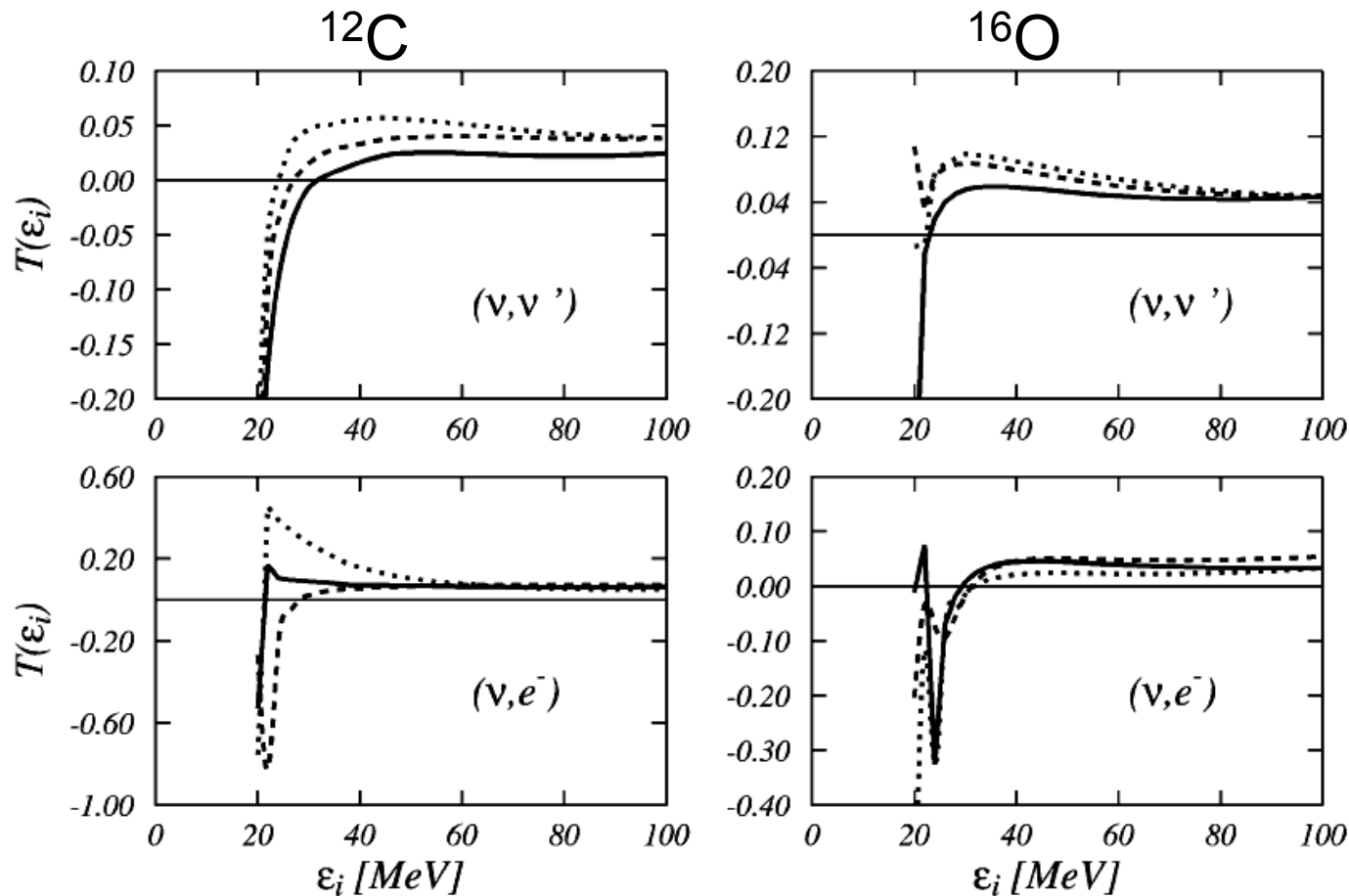
Nuclear potential {
— LM1: muonic-²⁰⁸Pb
- - - LM2: ¹²C spin response
..... PP : polarization potential



CRPA with Final State Interaction

Relative magnitude of FSI effect:

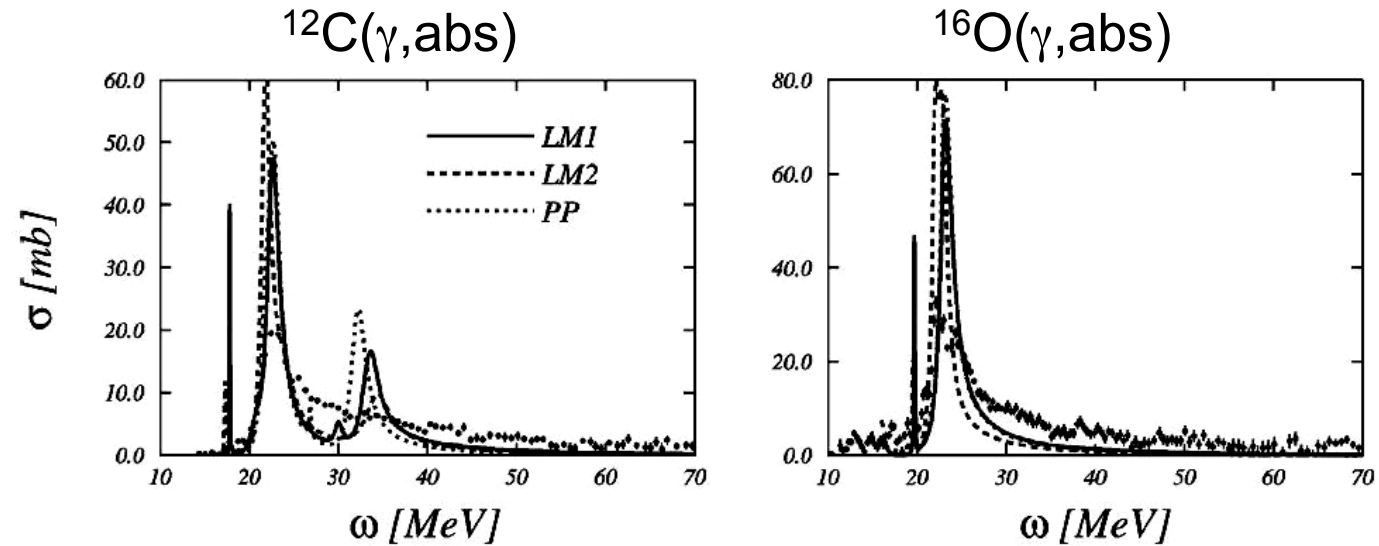
$$T(\varepsilon_i) = \frac{\sigma^{CRPA}(\varepsilon_i) - \sigma^{CRPA+FSI}(\varepsilon_i)}{\sigma^{CRPA}(\varepsilon_i) + \sigma^{CRPA+FSI}(\varepsilon_i)}$$



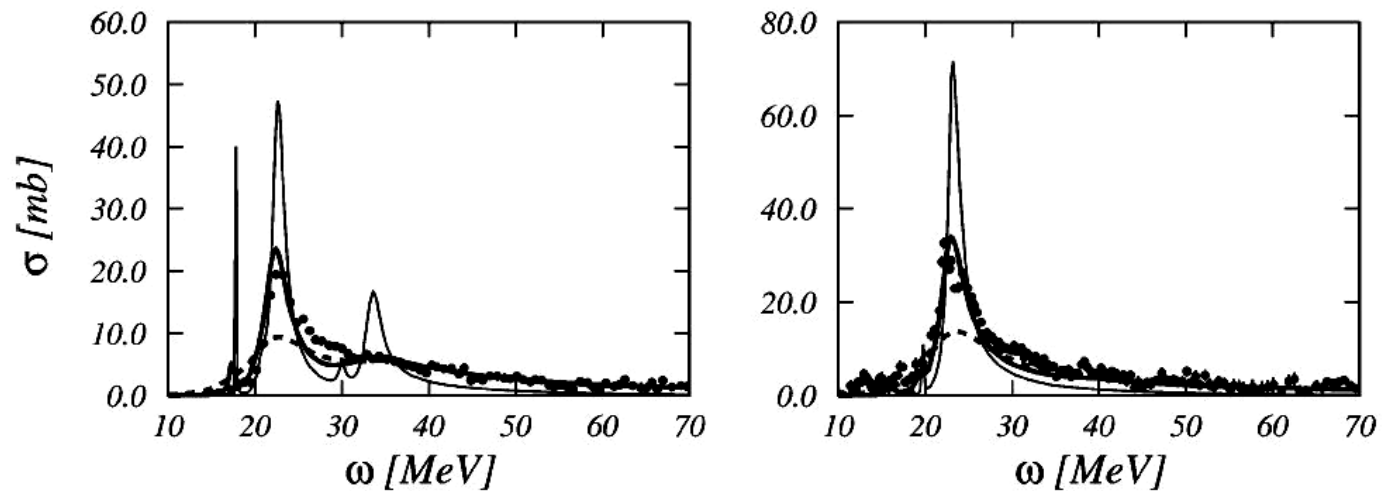
Photoabsorption

Nuclear potential {
LM1: muonic- ^{208}Pb
LM2: ^{12}C spin response
PP : polarization potential

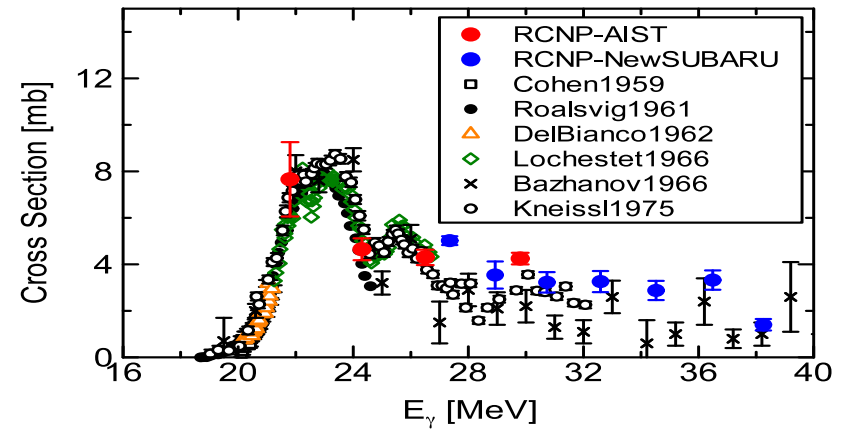
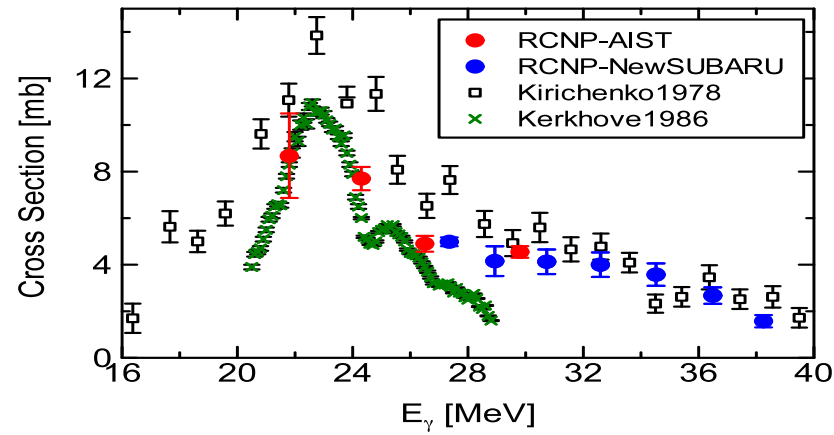
CRPA



CRPA+FSI



$^{12}\text{C}(\gamma, p)^{11}\text{B}$, $^{12}\text{C}(\gamma, n)^{11}\text{C}$

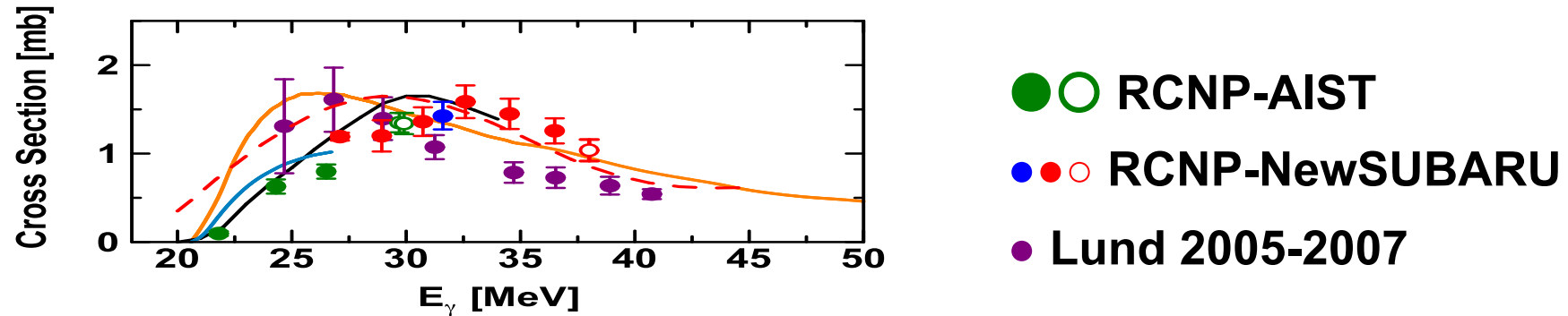




Summary

- Since H_{EM} and H_W^{NC} have analogous forms, photon can be, **in principle**, used as a probe for ν -A interactions.
- **But** the photonuclear reaction cross sections are **not direct analog** of those for ν -A interactions.
- **But** they can be connected to each other through **common theoretical models**.
- Data of total cross sections as well as differential cross sections from threshold up to $\sim 80\text{MeV}$ are quite useful to test those models. \rightarrow **LCS- γ**
- **β -decay** and **μ -capture** provide another important inputs for calculations.

Comparison with theory : ${}^4\text{He}(\gamma, n){}^3\text{He}$



- Trento (Effective Interaction Hyperspherical Harmonics)
- Bonn (Faddeev-AGS)
- Londergan-Shakin (Coupled Channel Shell Model)
- - - Horiuchi, Suzuki (Cluster model)



ν - ^4He weak interaction operators

- Allowed transitions
 - Fermi type --- no contribution to $T=0$ nucleus
 - Gamow-Teller type: $0^+0 \rightarrow 1^+1$
- First-forbidden transitions
 - Dipole (E1) type: $0^+0 \rightarrow 1^-1$
 - Spin-dipole (SD) type: $0^+0 \rightarrow \lambda^-1$ ($\lambda = 0, 1, 2$)

ν - ^4He multipole strength

Gazit & Barnea 2004

